




№ 5_Дәріс


Ван-дер-Ваальс теңдеуін талдау



$$\left(p + \frac{a}{V^2}\right)(V - b) = RT$$

$$pV + \frac{aV}{V^2} - pb - \frac{ab}{V^2} = RT$$

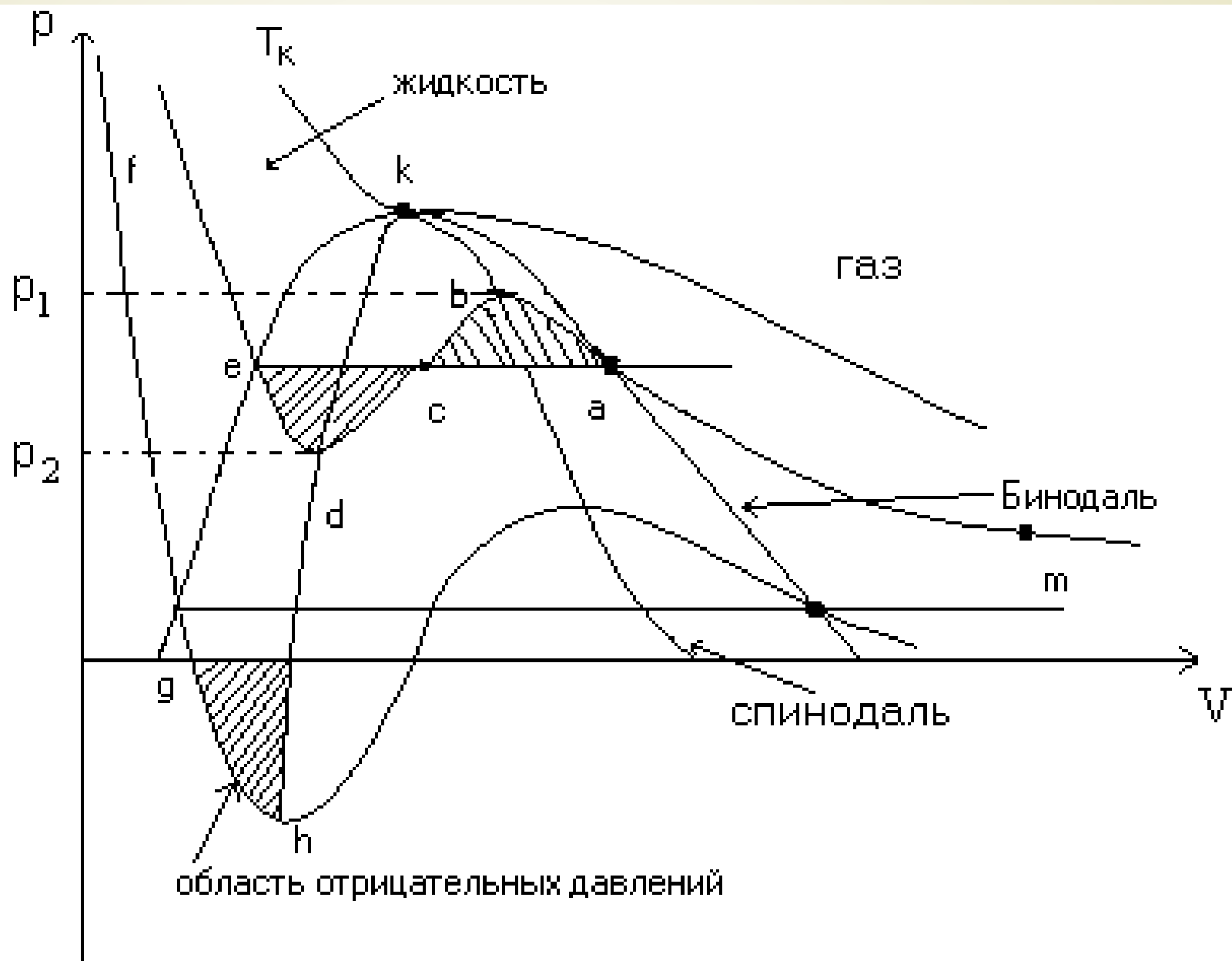
$$pV^3 + aV - pbV^2 - ab = RTV^2$$

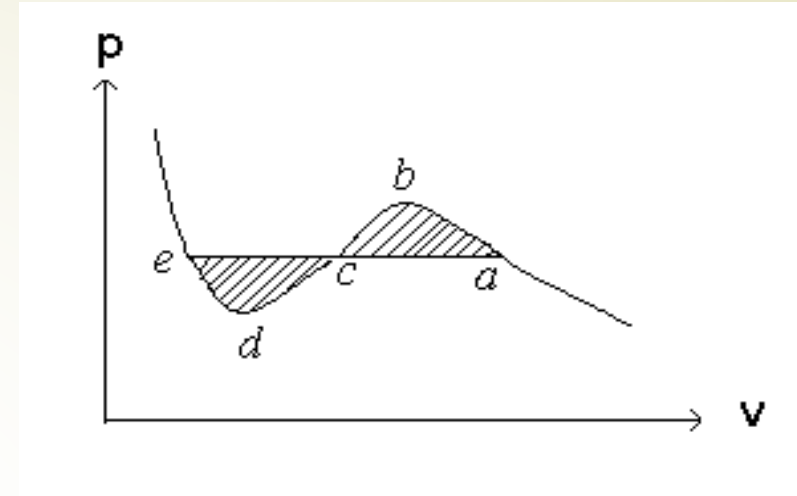
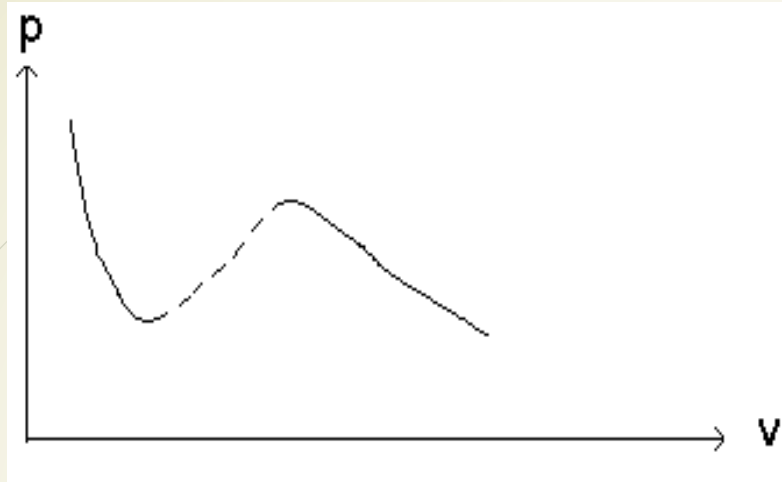
$$pV^3 - (pb + RT)V^2 + aV - ab = 0$$

$$T < T_k \quad T > T_k$$



$$\left(\frac{\partial p}{\partial V}\right)_T > 0$$

$$\left(\frac{\partial p}{\partial V}\right)_T = 0$$



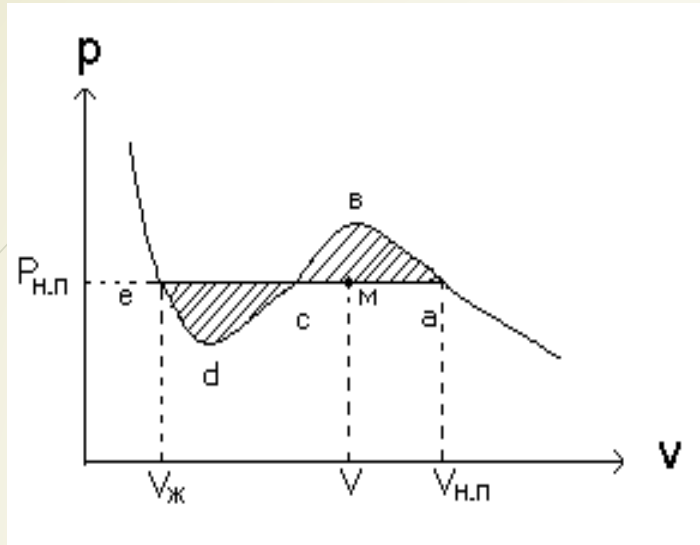


$$\delta Q = dU + pdV, \quad \delta Q = TdS, \quad TdS = dU + pdV$$

$$\oint TdS = \oint dU + \oint pdV \quad T \oint dS = \oint dU + \oint pdV$$

$$\oint dU = 0 \quad \oint dS = 0 \quad \oint pdV = 0$$

$$\oint_{edce} pdV = \oint_{cbac} pdV$$



$$V = xV_{жс} + (1-x)V_{нп}$$

$$x \underbrace{(V_{нп} - V_{жс})}_{ae} = \underbrace{V_{нп} - V}_{ma}$$

$$x = \frac{ma}{ea}$$

↓
жидк

$$1-x = \frac{em}{ea}$$

↓
пар

$$p = \frac{RT}{V-b} - \frac{a}{V^2}$$

$$\langle p \rangle = \frac{1}{V_{нп} - V_{жс}} \int_{V_{жс}}^{V_{нп}} p dV = \frac{1}{V_{нп} - V_{жс}} \int_{V_{жс}}^{V_{нп}} \left(\frac{RT}{V-b} - \frac{a}{V^2} \right) dV = p_{нп}$$

$$p_{нп} = \frac{1}{V_{нп} - V_{жс}} \left[RT \ln \left(\frac{V_{нп} - b}{V_{жс} - b} \right) - a \left(\frac{1}{V_{жс}} - \frac{1}{V_{нп}} \right) \right]$$

$$(p_{нп} V_{нп})_{расч} > (p_{нп} V_{нп})_{эксп}, \quad (p_{нп})_{расч} > (p_{нп})_{эксп}$$

$$\frac{dp}{dT} = \frac{q_{12}}{T(\nu_2 - \nu_1)}$$

1) будың меншікті көлемі сұйықтықтың меншікті көлемінен әлдеқайда көп, $\nu_2 \gg \nu_1$, сондықтан сұйықтықтың меншікті көлемі ν_1 ескерілмейді;

2) буды идеалды газ ретінде қарастыруға болады, сондықтан

$$\nu_2 = \frac{R_0 T}{p} \quad R_0 = \frac{R}{M}$$

3) будың пайда болу жылуы температураға байланысты емес (немесе аздап тәуелді), сондықтан оны қабылдауға болады

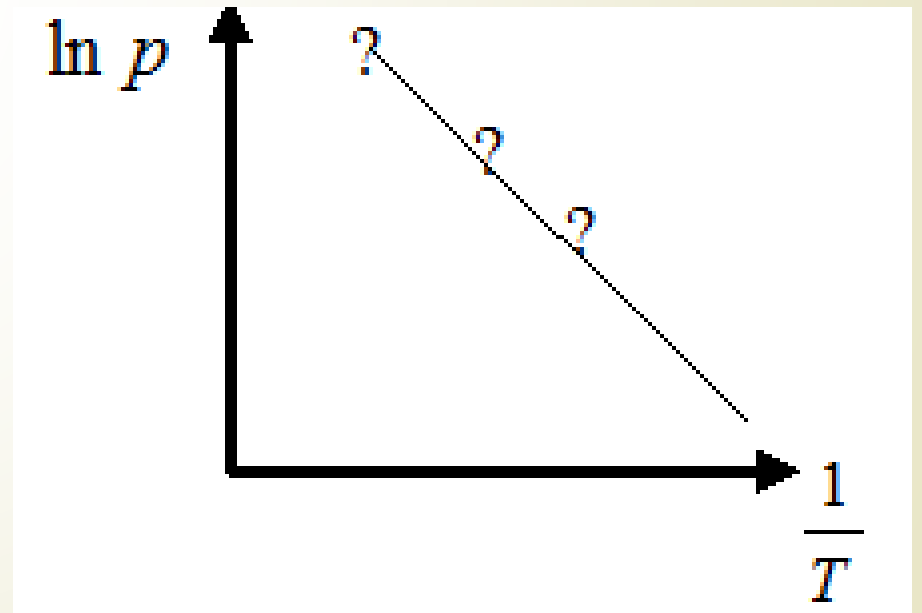
$$q_{12} = const$$

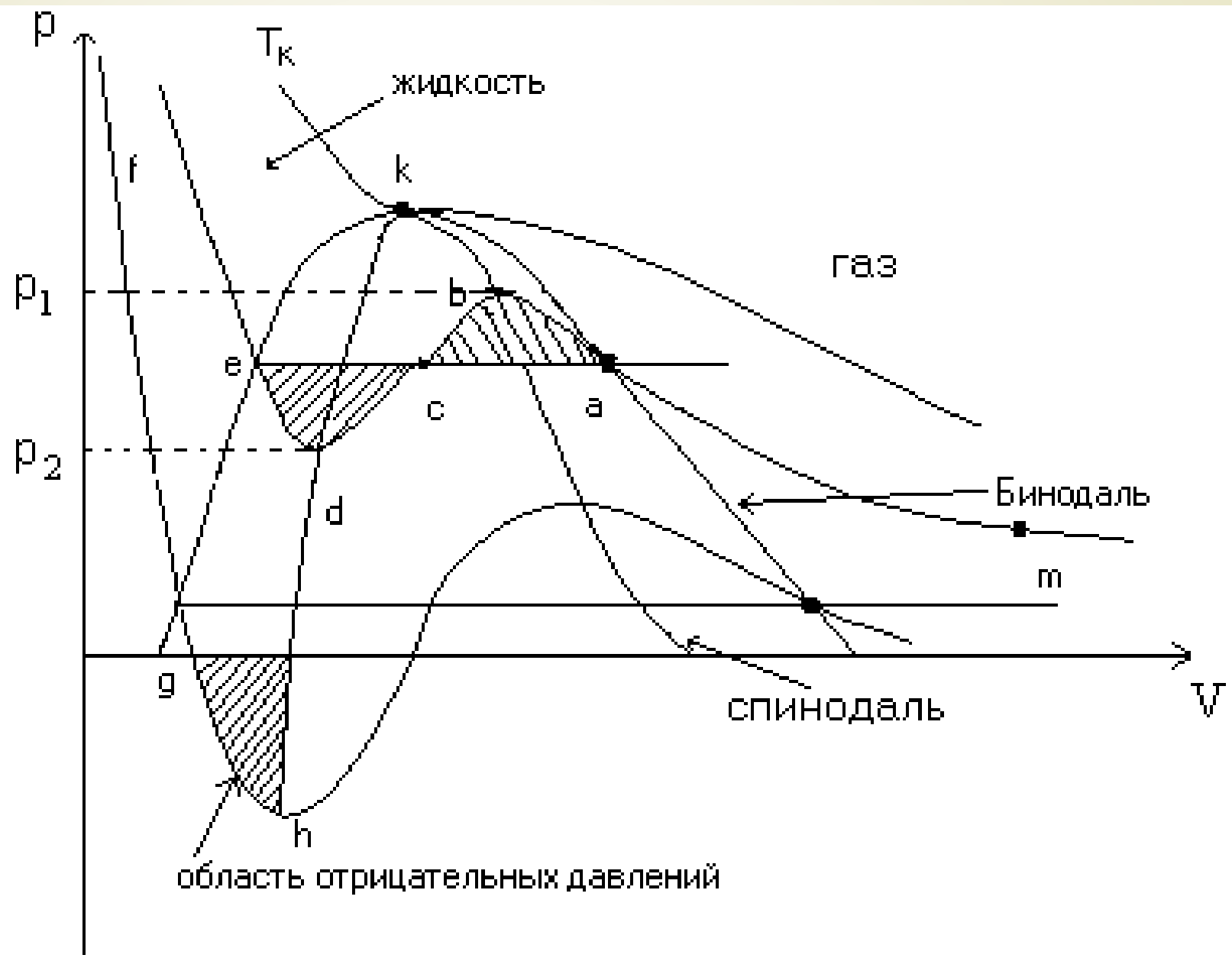
$$\frac{dp}{dT} = \frac{q_{12} p}{R_0 T^2}$$

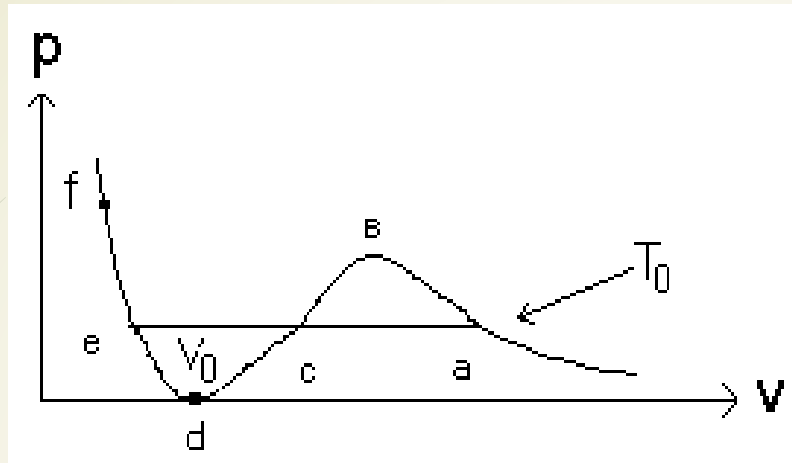
$$\ln p = -\frac{q_{12}}{R_0 T} + C$$

$$T_{HK} \quad p_{HK} = 1,01325 \cdot 10^5 \text{ Па} = p_0$$

$$\ln p = \ln p_0 + \frac{q_{12}}{R_0} \left(\frac{1}{T_{HK}} - \frac{1}{T} \right)$$







$$p = p_{mep} - p_i$$

$$p_i > p_{mep} \quad p < 0 \quad T < T_0$$

$$T = T_0 \quad p = 0$$

$$\left(\frac{\partial p}{\partial V} \right)_T = 0$$

$$\left(p + \frac{a}{V^2} \right) (V - b) = RT$$

$$p = \frac{RT}{V - b} - \frac{a}{V^2}$$

$$\left(\frac{\partial p}{\partial V} \right)_T = -\frac{RT}{(V - b)^2} + \frac{2a}{V^3}$$

$$\begin{cases} \frac{RT_0}{V_0 - b} - \frac{a}{V_0^2} = 0 \\ -\frac{RT_0}{(V_0 - b)^2} + \frac{2a}{V_0^3} = 0 \end{cases}$$

$$V_0 - b = \frac{V_0}{2} \Rightarrow V_0 = 2b$$

$$\frac{RT_0}{2b-b} - \frac{a}{4b^2} = 0$$

$$\frac{RT_0}{b} = \frac{a}{4b^2}$$

$$T_0 = \frac{a}{4Rb}$$

$$V_0 = 2b \quad T_0 = \frac{a}{4Rb}$$

$$T_K = \frac{8a}{27Rb} \quad T_0 = \frac{27}{32} T_K$$

